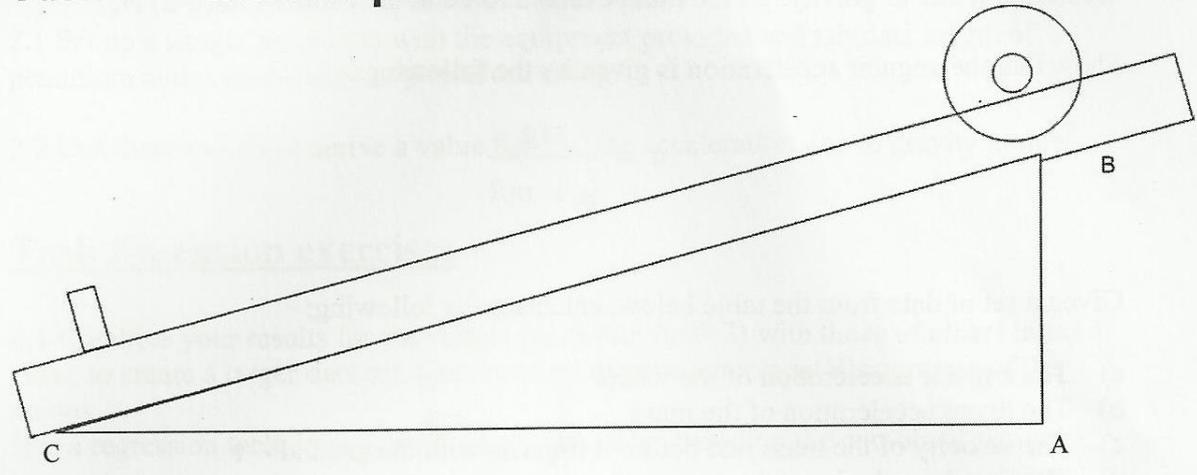


Task I - Inclined plane with wheel



- Radius of Disc: 750mm
- Radius of Spindle: 7.5mm

1.1. Using your knowledge of linear motion, calculate the values of the linear acceleration for 5 values of $\sin \theta$, by measuring the time taken to reach the stops from initial rest point. [Cautionary note: the distance travelled is not the same as the length of the slope!!!]

| Length (mm) | Height (mm) | $\sin \theta$ | Time (seconds) | Acceleration |
|-------------|-------------|---------------|----------------|--------------|
| 850 | 55 | 0.064706 | 48.4 | 0.000726 |
| 850 | 65 | 0.076471 | 30.9 | 0.00178 |
| 850 | 75 | 0.088235 | 26.1 | 0.002496 |
| 850 | 85 | 0.1 | 22.65 | 0.003314 |
| 850 | 95 | 0.111765 | 19.2 | 0.004612 |

1.2. Identify a relationship between $\sin \theta$ and time from the results obtained above.

As shown in the results table above there is a relationship shown between $\sin \theta$ and the time, this is because as the $\sin \theta$ of the angle increases you can see a decrease in time, the way that we were setting up the inclined plane was causing the angle to change this was due to us varying the height. Each time we increased the height of our inclined plane this showed that the gradient of the slope increased, which in this case proves that as the gradient increases the time taken for the spindle to roll down decreases.

1.3. By applying your knowledge of conservation of energy in linear & angular motion systems show that;

$$\frac{g \sin \theta}{(1 + k/r^2)}$$

1.4. Using your results together with this formula, obtain a value for k , the radius of gyration disc. [Cautionary note: r is the radius of the spindle].

