

$$Y_1(f) = \frac{Am * B}{2} \frac{\sin(N * Ts * \pi * (fk + / - f1)) * \{ \cos(N * \pi * Ts * (fk + / - f1)) +/- j \sin(N * \pi * Ts * (fk + / - f1)) \}}{\sin(\pi * Ts * (fk + / - f1))}$$

The equation above now has to be adjusted so that it suits our needs i.e. we are dealing with a baseband modulating signal and therefore does not have a carrier. However the equation above has been treated as though a carrier has been involved. Hence the following adjustments have to be made :

- 1 Take out the divide by 2 factor because we do not have a carrier and therefore have not multiplied by $B * \cos 2\pi f_1 t$
- 2 For the same reason above, we will only require $(fk - f1)$

$$Y_1(f) = Am * B * \frac{\sin(N * Ts * \pi * (fk - f1)) * \{ \cos(N * \pi * Ts * (fk - f1)) - j \sin(N * \pi * Ts * (fk - f1)) \}}{\sin(\pi * Ts * (fk - f1))}$$

For Bandpass 2-FSK and for a simulation time of 3Tb :

$$Y_1(f) = \frac{1}{N} \left\{ \sum_{n=0}^{(N/3)-1} y(n) * e^{-j2\pi fn} + \sum_{n=N/3}^{(2*N/3)-1} y(n) * e^{-j2\pi fn} + \sum_{n=(2*N/3)}^N y(n) * e^{-j2\pi fn} \right\} \quad \sum_{n=N/3}^{(2*N/3)-1} y(n) * e^{-j2\pi fn} = 0$$

$$\left\{ \sum_{n=0}^{(N/3)-1} y(n) * e^{-j2\pi fn} \right\} = \frac{Am * B * \sin((N/3 - 1) * Ts * \pi * (fk - f1)) * \{ \cos((N/3 - 1) * \pi * Ts * (fk - f1)) - j \sin((N/3 - 1) * \pi * Ts * (fk - f1)) \}}{\sin(\pi * Ts * (fk - f1))}$$

$$\sum_{n=(2*N/3)}^N y(n) * e^{-j2\pi fn} = \sum_{n=0}^{N/3} y(n) * e^{-j2\pi fn} ?$$

$$\sum_{n=0}^{N/3} y(n) * e^{-j2\pi fn} = \frac{Am * B * \sin((N/3) * Ts * \pi * (fk - f1)) * \{ \cos(N/3) * \pi * Ts * (fk - f1)) - j \sin((N/3) * \pi * Ts * (fk - f1)) \}}{\sin(\pi * Ts * (fk - f1))}$$

$$Y_1(f) = \frac{1}{N} \sum_{n=0}^{N-1} y(n) * e^{-j2\pi fn} = \frac{Am * B \left\{ \sin((N/3 - 1) * Ts * \pi * (fk - f1)) * \{ \cos((N/3 - 1) * \pi * Ts * (fk - f1)) - j \sin((N/3 - 1) * \pi * Ts * (fk - f1)) \} + \right.}{N} \left. \frac{\sin((N/3) * Ts * \pi * (fk - f1)) * \{ \cos(N/3) * \pi * Ts * (fk - f1)) - j \sin((N/3) * \pi * Ts * (fk - f1)) \}}{\sin(\pi * Ts * (fk - f1))} \right\}$$